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SIXTH SEMESTER B.A. DEGREE EXAMINATION, MARCH 2017

(CUCBCSS—UG)

Economics

ECO 6B 12—MATHEMATICAL ECONOMICS

| ne : | Three H | lours | | Maximum : 80 Marks |
|------|---------------------|--|--------|---|
| | | Answers may be written eith | ier ii | n English or in Malayalam. |
| | | P | art A | A |
| | | Answer a Each question | | |
| 1. | Objecti | ve of linear programming for an obj | ectiv | e function is to: |
| | (a) | Maximize or minimize. | (b) | Subset or proper set modeling. |
| | (c) | Row or column modeling. | (d) | Adjacent modeling. |
| 2. | If the o | rder of matrix A is $m \times p$. And the o | order | of B is $p \times n$. Then the order of AB is ? |
| | (a) | $n \times p$. | (b) | $m \times p$. |
| | (c) | $m \times n$. | (d) | $n \times m$. |
| 3. | When r | marginal costs are below average to | tal co | sts? |
| | (a) | Average fixed costs are rising. | | |
| | (b) | Average total costs are rising. | | |
| | (c) | Average total costs are falling. | | |
| | (d) | Average total costs are minimized. | | |
| 4. | (AB) ^t = | = ? | | |
| | (a) | $\mathbf{B}^{t}\mathbf{A}^{t}$. | (b) | A^tB^t . |
| | (c) | AB. | (d) | BA. |
| 5. | | e the price of a product increases for a week to 45, What is the Price Ela | | Rs. 12 to Rs. 20 and the quantity demanded falls ty of Demand ? |
| | (a) | 0.4. | (b) | - 0.4. |
| | (a) | 0.5 | (d) | - 25 |

(c) 2.5.

| 6. | In the | short-run, which of the following al | ways | gets smaller as output increases? |
|-----|--------------|---|--------|--|
| | (a) | Average fixed cost. | (b) | Average variable cost. |
| | (c) | Short-run average cost. | (d) | Short-run marginal cost. |
| 7. | In mat | trices, inter-industry demand is sum | mari | zed as: |
| | (a) | Input-output matrix. | (b) | Output-input matrix. |
| | (c) | Linear buying matrix. | (d) | Linear selling matrix. |
| 8. | | ding to determinant properties, n ninant: | nulti | ple of one row is added to another row then |
| | (a) | Changed. | (b) | Unchanged. |
| | (c) | Multiplied. | (d) | Added. |
| 9. | | se a demand curve runs from the pr will Price Elasticity of Demand = - | | xis to the quantity axis in a straight line. Where |
| | (a) | Where the curve meets the price a | xis. | |
| | (b) | Everywhere along the curve. | | |
| | (c) | At the mid-point of the curve. | | |
| | (d) | Nowhere along the curve. | | |
| 10. | An iso | quant that is : | | |
| | (a) | Further from the origin represents | • | • |
| | (b) | Flatter represents the trade-offs be | | - |
| | (c) | | com | binations associated with Stage I of production. |
| | (d) | All of the above are correct. | | |
| 11. | The lav | v of diminishing returns begins at the | he lev | vel of output where ? |
| | (a) | Marginal cost is at a minimum. | | |
| | (b) | Average variable cost is at a minin | | |
| | (c) | Average fixed cost is at a maximum | n. | |
| | (d) | None of the above is correct. | | |
| 12. | Two ma | atrices A and B are equal if: | | |
| | (a) | Both are rectangular. | | |
| | (b) | Both have same order. | | |
| | (c) | No. of columns of A is equal to colu | | |
| | (d) | Both have same order and equal co | rresp | |
| | | | | $(12 \times 16 - 6 \text{ marks})$ |

Part B (Very Short Answer Questions)

Answer any **ten** questions. Each question carries 2 marks.

- 13. Define Production possibility curve.
- 14. Define Mathematical Economics.
- 15. Define linear programming problem.
- 16. Define feasible solution.
- 17. Define Demand function.
- 18. Explain production function.
- 19. Define Marginal Revenue.
- 20. Define Leontief matrix.
- 21. Define Investment function.
- 22. Define Input-output model.
- 23. Define return to acale.
- 24. Define isocost line.

 $(10 \times 2 = 20 \text{ marks})$

Part C (Short Essay Questions)

Answer any **six** questions.

Each question carries 5 marks.

- 25. If D = 40 5p and S = 30 p are the demand and supply functions in a market show that a specific tax of Re. 1 per unit will cause a decline in the market price.
- 26. Explain the conditions for maxima and minima.
- 27. Explain market equilibrium.
- 28. Explain the relationship between MC and AC.
- 29. If AR = 6, MR = 4 find price elasticity of demand.
- 30. Given the line 2x + 3y = 20, find the slope and Y intercept.
- 31. Write a note on LPP.
- 32. Explain the importance of mathematical economics.

 $(6 \times 5 = 30 \text{ marks})$

Part D (Essay Questions)

Answer any **two** questions. Each question carries 12 marks.

- 33. If D = 150 5P and S = 200 10P are the demand and supply function of a market equilibrium price and quantity. Show that the system is stable according to Marshall and unstable according to Walras.
- 34. Maximise (Graphically) $Z = 15X_1 + 16X_2$.

subject to

$$4X_1 + 6X_2 \le 360$$

$$3X_1 + 0X_2 \le 180$$

$$0X_1 + 5X_2 \le 200$$

$$X_1, X_1 \ge 0$$

35. Two industries I and II input-output relations are given below in A with final demand vector B (in units):

If the gross output increases to $\frac{I}{II} \frac{400}{600}$, determine the final demand which can be satisfied.

36. A monopolist is facing a linear demand, p = 100 - 4q. His linear cost function is given by C = 50 + 20q. Calculate the equilibrium price, quantity and the maximum profit.

 $(2 \times 12 = 24 \text{ marks})$